# ROLE OF CONSERVATIVE LAWS IN IDENTIFYING THE COSMOS AS A SYSTEM OF SYMMETRICAL UNITY 

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#### Abstract

Conservative laws play an important role in the existence of the universe. They involve symmetries in nature. The galaxies are spreading the light into the farer skies. A Hypothetical Experiment on hydrogen molecule nuclear magnetic resonance analysis and the spectral analysis on it suggests that the universe is expanding. The universe can be considered as a network of photons and a collection of electromagnetic fields, as since it is diverging a considerable amount of flux in to the farer skies. Therefore the cosmos can be identified as a system of symmetrical unity.


Keywords: Cosmos, Conservative laws, Universe, Mass, Energy, Angular momentum, Transformation, Symmetries, Celestial bodies.

## I.INTRODUCTION

If a system does not interact with its environment in any way, then certain mechanical properties of the system cannot change. Quantities such as energy, momentum, and angular momentum are conserved. 'The Law of conservation of Energy' says that energy is conserved as it can be convertible in to the form of mass and vice versa. 'The Law of conservation of angular momentum says that If one a part of the system is given a momentum during a given direction, then another half of the elements of the system should at the same time incline precisely the same momentum within the wrong way.'
This puts a powerful constraint on the kinds of motility which may occur in an isolated system. 'Law of conservation of probability suggests the symmetries in nature.'

On solving an equation such as $j=\frac{\hbar}{2 m i}\left(\Psi^{*} \frac{\partial \Psi}{\partial x}-\left(\frac{\partial \Psi^{*}}{\partial x}\right) \Psi\right)$ in reference with non relativistic quantum physics, obtaining the momentum operator, and defining in terms of position basis and converting into momentum operator, it provides spin- ' 0 ' particle in electromagnetic field, and spin-'s' in electromagnetic field.

The magnetic potential can be expressed in terms of Gaussian units, such as in $\mathbf{j}=\rho \mathbf{v}$, where v is the velocity of the particle and also the group velocity of the wave.

On applying the probability current and Schrödinger equation, with the divergence theorem it can be obtained the connectivity equation of integral form such as $\frac{\partial}{\partial t} \int_{V}|\Psi|^{2} \mathrm{~d} V+\oiint_{S \mathbf{j}} \cdot \mathrm{~d} \mathbf{S}=0$, which recommends the symmetries in nature.

## II. ENERGY IS CONSERVED

The below is to show that the energy is
conserved by deducing from the available equations.
Looking into the Bohr's atomic model [1] of hydrogen atom for the orbits of the electron revolve around the nucleus,

$$
\begin{aligned}
& \rightarrow \mathrm{mvr}=\mathrm{nh} / 2 \prod \\
& \rightarrow 2 \prod \mathrm{r}=\mathrm{nh} / \mathrm{mv}(\text { as since } \mathrm{h} / \mathrm{mv}=\lambda) \\
& \rightarrow 2 \prod \lambda=\mathrm{n} \lambda \\
& \rightarrow 2 \prod \mathrm{r} / \mathrm{n}=\lambda \rightarrow \text { Equation }(1)
\end{aligned}
$$

But as per debroglie $\lambda$ is defined as $\lambda=\mathrm{h} / \sqrt{ } 2$ me $\mathrm{v} \rightarrow$ Equation (2)
[This represents a particle in wave nature]
From Equation (1) and Equation (2)
$\rightarrow \sqrt{ } 2 \mathrm{me} \mathrm{v}^{*} \mathrm{r} / \mathrm{n}=\mathrm{h} / 2 \Pi \rightarrow$ Equation (3)
But as per Heisenberg uncertainty principle uncertainty in position and momentum $\sigma_{x} \sigma_{p} \geq \frac{\hbar}{2}$, where $\hbar$ is the plank constant.

Uncertainty in energy and time is given by,
$\sigma(\mathrm{E}) \sigma(\mathrm{t})>=\mathrm{h} / 2 \Pi \rightarrow$ Equation (4)
Uncertainty in angular momentum and angle is given by, $\sigma(\mathrm{J}) \sigma(\theta)>=\mathrm{h} / 2 \prod \rightarrow$ Equation (5)
At first taking the equal part and equating with $3^{\text {rd }}$ equation
$\rightarrow \sigma \mathrm{x} \sigma(\mathrm{P})=\sqrt{ } 2 \mathrm{mev} / \mathrm{n} * \mathrm{r}$
$\rightarrow$ Uncertainty in measuring the position and momentum of a particle in an $n^{\text {th }}$ orbit is equal to The "Root mean square velocity of the radius of the orbit" From $\sigma$ (E) $\sigma(\mathrm{t})$ $=\sqrt{ } 2 \mathrm{mev} / \mathrm{n} * \mathrm{r}$
$\rightarrow$ Uncertainty in measuring the Energy and time of a particle in an nth orbit is equal to "The Root mean square velocity of the radius of the orbit"

From $\sigma(\mathrm{J}) \sigma(\theta)=\sqrt{ } 2 \mathrm{mev} / \mathrm{n} * \mathrm{r}$.
$\rightarrow$ Uncertainty in measuring the Momentum and the angle of a particle in nth orbit is equal to The "Root mean square velocity of the radius of the orbit".
$\rightarrow$ From the above it is clear that the exactitude is not possible and there is an uncertainty in its coordinates and this matches with the root mean square velocity of the radius of the orbit and this conclusion will lead to deal with the Schrödinger assumption that the "particle is a wave natured." To recall the Schrödinger time independent equation,
$\sigma^{2} \Psi+2 \mathrm{~m} /(\mathrm{h} / 2 П)(\mathrm{E}-\Psi)=0 \rightarrow$ Equation (6)
Time dependent equation is $\mathrm{E} \Psi=\mathrm{H} \Psi$
It can be written as,
(ih/2 $\left.\prod^{*} \mathrm{~d} / \mathrm{dt}\right) \Psi=\left[\mathrm{ih} / 2 \prod^{*} \sigma^{2} * \mathrm{v}\right] \Psi \rightarrow$ Equation (7)
$\rightarrow \mathrm{d}^{2} \Psi / \mathrm{d} \mathrm{x}^{2}+2 \mathrm{~m} /(\mathrm{h} / 2 \Pi)$ * E $\Psi=0 \rightarrow$ Equation (8)
The above equation is in three regions and there exists three solutions altogether can be considered as reflection wave + transmitting wave $=1$.

Therefore $\mathrm{R}+\mathrm{T}=1$ in the Free State
$\sigma^{2} \Psi+2 \mathrm{~m} /(\mathrm{h} / 2 \Pi)(\mathrm{E} \Psi)=0 \rightarrow$ Equation (9)
But the particle velocity is considered as
$\rightarrow \mathrm{vp}=\sqrt{2}(\mathrm{E}-\mathrm{V}) / \mathrm{m}$
$\rightarrow \sqrt{m}=\sqrt{2}(\mathrm{E}-\mathrm{V}) / \mathrm{vp}$
$\rightarrow \mathrm{m}=2(\mathrm{E}-\mathrm{V}) / \mathrm{vp} \rightarrow$ Equation (10)
Substituting the ' $m$ ' value in Equation (8) and Equation (9) as a result it is obtained
$\sigma^{2} \Psi+8 \Pi(\mathrm{E}-\mathrm{V}) / \mathrm{vp} * \mathrm{~h} *(\mathrm{E} \Psi)=0 \rightarrow$ Equation (11).
Now considering vp is absolutely equal to v then comparing it with the time dependent equation it is obtained as given below $\sigma^{2} \Psi / \sigma \mathrm{x}^{2}+2 \mathrm{~m} /(\mathrm{h} / 2 \Pi) * E \Psi=0$.

The multiple term indicates that the debroglie wave of the electron in the $1^{\text {st }}$ orbit is equal to the circumference of the $1^{\text {st }}$ orbit,
$\mathrm{S}=\mathrm{n} \lambda \rightarrow \lambda=\mathrm{S} / \mathrm{n} \rightarrow$ Now Equation (11) satisfies the equation, substituting in Reighlie Jeans formula, It is possible to get $E_{n}=n^{2} \Pi h^{2} / 2 \Pi L^{2} \rightarrow$ Equation (12) this satisfies the equation $\mathrm{E}_{\mathrm{s} / \mathrm{n}}$ and now as per planks $\mathrm{E}=\mathrm{h} \mu$ and the angular velocity is given by, $\mathrm{P}=\mathrm{E} / \mathrm{c}$ on solving this it will get hc $/ \lambda=\mathrm{hc} / \lambda_{0}=\mathrm{eV}_{\mathrm{s}}$

## $\rightarrow$ It means the energy is conserved (Proof obtaining by deducing the available equations).

## III. PHOTON IS MIGHTIER THAN ELECTRON

The below is to show that the Photon is mightier than electron, by deducing from the available equations.

In an anonymous action when the energy of photon is 1.0 Mev and above, electron positron pair production takes place,

## $\mathrm{R}+\mathrm{T}=1$

$\rightarrow \mathrm{R}+\mathrm{h} \mu-\mathrm{W}=1$ (as since $\mathrm{T}=\mathrm{h} \mu-\mathrm{W}$ )
$\rightarrow \mathrm{R}+\mathrm{h}(\tau+\sigma+\mathrm{k})-\mathrm{w}=1$ (as since $\mathrm{T}=\mathrm{h} \mu-\mathrm{W}$ )
$\rightarrow \mathrm{R}+\mathrm{h} \tau+\mathrm{h} \sigma+\mathrm{hk}-\mathrm{w}=1$
$\rightarrow$ Now $-\mathrm{W}=1-\mathrm{R}+\mathrm{h} \tau+\mathrm{h} \sigma+\mathrm{hk}$
And now $\mathrm{W}=1+\mathrm{R}-\mathrm{h} \tau-\mathrm{ho}-\mathrm{hk}$
Now the work function is W is given by
$R+h(\tau+\sigma+k)-1 \rightarrow$ Equation (13)
$\mathrm{R}+\mathrm{T}=1$
$\rightarrow \mathrm{R}+\mathrm{mc}^{2}-\mathrm{mc}_{0}{ }^{2}=1$ (as since $\mathrm{T}=\mathrm{mc}^{2}-\mathrm{mc}_{0}{ }^{2}$
$R=1-m c^{2}-m c_{0}^{2} \rightarrow$ Equation (14)
This Equation can be written as $\mathrm{W}=\int \mathrm{h} T$ in between $\mathrm{mc}_{0}{ }^{2}$ and $\mathrm{mc}^{2}$. Therefore transmitted wave is generated from the negative charge and transmitted towards the positive.

That is multiple of planks constant [2]. It means to say the Photon is incident on Hydrogen atom and that emits an electron and positron. That implies that the orbital angular momenta is an addition of the orbital momenta and angular momenta.
$\rightarrow \mathrm{J}=\mathrm{L}+\mathrm{S}$ (vector notation)
$\rightarrow \mathrm{L}=\Sigma \mathrm{L}_{1}$ (vector notation)
$\rightarrow \mathrm{S}=\Sigma \mathrm{S}_{1}$
It is because of constant electric anonymous action there to say the photon is mightier than electron and other subatomic particle.

## IV. COMPTON EFFECT IS NOT POSSIBLE TO OBSERVE WITH NAKED EYE IN THE OBSERVABLE LIGHT - A PROOF

The below is to show that Compton effect is not possible to see with the naked eye in the observable light, by deducing from the available equations.

The Compton Effect [3] is based on the law of conservation of energy and the law of conservation of angular momentum. This Compton Effect is not possible to observe for the observable light.

As per Schrödinger $\mathrm{R}+\mathrm{T}=1$
It can be expressed in terms of optics such as,
$\left[\begin{array}{cc}1 & -p \\ 0 & 1\end{array}\right]+\left[\begin{array}{ll}1 & 0 \\ D / \mu & 1\end{array}\right]=1$
Where $\lambda, \mathrm{h}$ are elements in
Matrix and $\mu$ is being the angle of reflection. The light ray when it passes through an observable system,

is
the system's matrix., But $\mathrm{S}=\mathrm{T}^{*} \mathrm{R}$. That is
$\left[\begin{array}{cc}1 & -P \\ 0 & 1\end{array}\right]\left[\begin{array}{ll}1 & 0 \\ D / \mu & 1\end{array}\right]_{\rightarrow}\left[\begin{array}{ll}\mathbf{1}+\left(-\mathbf{p}^{\star} \mathrm{D} / \mathrm{M}\right) & \mathbf{0}+\mathrm{D} / \mathrm{M} \\ \mathbf{0}+(-\mathbf{P}) & \mathbf{0}+\mathbf{1}\end{array}\right]$


But it is considered as
$S=\left[\begin{array}{ll}\left.1-p^{\star} \mathrm{D} / \mathrm{M}\right) & \mathrm{D} / \mathrm{M} \\ -\mathrm{P} & 1\end{array}\right]$
$\mathrm{M}=\mathrm{h} 2 / \mathrm{h} 1$ There fore
$\left[\begin{array}{ll}1 /(\mathrm{h} 2 / \mathrm{h} 1) & -\mathrm{a} \\ 0 & \mathrm{~h} 2 / \mathrm{h} 1\end{array}\right]$

> Now Equating
> $\left[\begin{array}{ll}1-\mathrm{p}^{\wedge} \mathrm{D} / \mu & \mathrm{D} / \mu \\ -\mathbf{P} & 1\end{array}\right]=\left[\begin{array}{lc}1 /(\mathrm{h} 2 / \mathrm{h} 1) & -\mathrm{a} \\ 0 & \mathrm{~h} 2 / \mathrm{h} 1\end{array}\right]$

It can be obtained such as
$1-\mathrm{P} * \mathrm{D} / \mu=\mathrm{h} 1 / \mathrm{h} 2$
$1-\mathrm{PD} / \mu=(\mathrm{h} 1 / \mathrm{h} 2)$
$-\mathrm{PD} / \mu=1+(\mathrm{h} 1 / \mathrm{h} 2)$
$1 / \mu=1+(\mathrm{h} 1 / \mathrm{h} 2)^{*} 1 / \mathrm{PD}$
$\mu=1 /(1+(\mathrm{h} 1 / \mathrm{h} 2) * 1 / \mathrm{PD})$
$\rightarrow 1 /[(\mathrm{h} 2 / \mathrm{h} 1) / \mathrm{h} 2]$ *PD
$\mu=\mathrm{h} 2 /(\mathrm{h} 2+\mathrm{h} 1) * \mathrm{PD}$
Therefore the polarization of light proves the rectilinear nature of Light. Now $\mu=\tan \mathrm{P} \quad$ (as since $\mathrm{P}=$ Polarizing angle $\mathrm{r}=$ Angle of Refraction and $\mathrm{r}+\mathrm{p}=90^{\circ}$ and $\mathrm{p}=90^{\circ}-\mathrm{r}$ )
$\mu=1 / \sin \mathrm{c}=\operatorname{Cosec} \mathrm{c}$
Therefore substituting $\mu=\operatorname{cosec} \mathrm{c}$
It is obtained $\mathrm{D} / \mu=-\mathrm{a}$
D/cosec c=-a
$\mathrm{D}=-\mathrm{a} \sin \mathrm{c}$
$\Rightarrow \quad-\mathrm{p}=0$
$\Rightarrow \quad \mathrm{H} 2 / \mathrm{h} 1=1$
$\Rightarrow \quad$ Now putting in the equation
$\left[\begin{array}{l}\mathrm{h} 2 \\ \lambda 2\end{array}\right]=\left[\begin{array}{c}\mathrm{b}-\mathrm{a} \\ -\mathrm{d} \mathrm{c}\end{array}\right]\left[\begin{array}{l}\lambda 1 \\ \mathrm{~h} 1\end{array}\right]=\left[\begin{array}{ll}1-\mathrm{p}^{\wedge} \mathrm{D} / \mu & \mathrm{D} / \mu \\ -\mathrm{p} & 1\end{array}\right]\left[\begin{array}{c}\lambda 1 \\ \mathrm{~h} 1\end{array}\right] \mathrm{l}_{\mathrm{s}}$
It is obtained
$=\left[\begin{array}{l}\lambda 1\left[1-0^{*}(-a \operatorname{sinc} / \operatorname{cosec} c)-0\right] \\ \mathrm{h} 1[-\mathrm{a} \operatorname{sinc} / \operatorname{cosec} \mathrm{c}+1]\end{array}\right] \longrightarrow \mathrm{s}$
$=\left[\begin{array}{l}\lambda 1\left[1-0^{*}(-a \operatorname{sinc} / \operatorname{cosec} \mathrm{c})-0\right] \\ \mathrm{h} 1[-\mathrm{a} \operatorname{sinc} / \operatorname{cosec} \mathrm{c}+1]\end{array}\right] \longrightarrow \mathrm{s}$
$=\left[\begin{array}{cc}\lambda 1 & {[1]} \\ h 1\left[\begin{array}{ll}-a+1]\end{array}\right]\end{array}\right] s$

Therefore the wave length and the internal interval between the molecules are not in an order. It
mean to say that the it is not possible to observe Compton Effect to the observable light.

## V. HYPOTHETICAL EXPERIMENT TO MEASURE EFFECT OF ELECTROMAGNETIC RADIATION ON THE MAGNETIC FIELDS OF NUCLEONS OF HYDROGEN MOLECULAR CUBE (PROPOSED)

Objective of the experiment: "To find the magnetic field of nucleons and nuclei effect by electromagnetic radiation". The experiment is as follows as given below,
Step-1: Consider a Cube of $1 \mathrm{~cm} * 1 \mathrm{~cm} * 1 \mathrm{~cm}$ which consists of 6 planes and each plane consists as a 4 sides
Step-2: On each plane of the cube let it be considered a "Nuclear curtain" as a plane, the nuclear curtain is a linear combination of a single Hydrogen molecules.

## Step-3:



Fig.1: Hydrogen molecular Cube

The Planes are $\overline{\mathrm{ABCD}}, \overline{\mathrm{EFGH}}, \overline{\mathrm{AFGB}}, \overline{\mathrm{DEHC}}, \overline{\mathrm{BGHC}}, \overline{\mathrm{AFED}}$ TSA CUBE $=6 S^{2} \quad$ LSA $=4 S^{2}$ CUBIC CONTENTS $=S^{3}$
Step-4: It can be applied a very strong magnetic field of 3 to 5 Tesla, by passing this cube into MRI Machine, i.e., Magnetic resonance image machine, actually known as Nuclear Resonance Image.
Step-5: The nucleus in a linear combination of Hydrogen molecules revolve on a magnetic axis freely. They point towards different direction and pole, till the moment the magnetic field effect show its influence on their momentum.
Step-6: Now it can be applied 3 to 5 Tesla of powerful magnetic field. Suddenly all nuclear will point towards the same direction and pole.
Step-7: Now let it be passed light on the cube under the powerful magnetic field. The frequency of light is 4.0 X $10{ }^{14} \mathrm{~Hz}$ to $7.5 \times 10{ }^{14} \mathrm{~Hz}$ as per quantum theory The light rays bends. It bends slightly inward. This implies to say the light rays shows deflection
Step-8: In the next step let it not apply magnetic field on the cube and let it pass the light on the cube. The light rays will not show any deflection. The frequency of light remains same.

Result of the Experiment: The frequency of light in Step 7 Allows Down. It is because the relationship between the energy of light and the frequency of light. As since $E$ in Proportion to $M \rightarrow E=h \mu$ (where $h$ is planks constant)

Explanation for the result: For higher energies the frequency is also high as the moment the
light approaches near the magnetic field the frequency slows down. It is a natural phenomenon within which nuclei in a magnetic field absorb and reemit the non particulate radiation. This energy is at a specific resonance frequency that depends on the strength of the flux and therefore the magnetic properties of the atom of the atoms; in this application, the frequency in between $60-$ 1000 MHz .

Hydrogen element is chosen because the existence of hydrogen atom on Earth, elsewhere within the universe.

In the Hypothetical Hydrogen molecular experiment, $\mathrm{Bqv}=\mathrm{ml} \mathrm{W}^{2} \quad[\mathrm{~B}$ is the intensity of electromagnetic field]
$\mathrm{W}=\mathrm{Bq} / \mathrm{m} \quad$ [ v is the velocity of particle]
$\mathrm{F}=\mathrm{Bq} / \mathrm{lm} \quad[\mathrm{m}$ is the mass of the particle]
Kinetic energy $=1 / 2^{*} \mathrm{M} \mathrm{V}^{2}=2 \mathrm{Nvq}$
Here $m$ is the mass of the particle
V is the velocity of the particle
N is the distance travelled
V is the difference between the intensity of electromagnetic fields Q is the charge and the mass of the particle is given by $m=m_{0} / \sqrt{ } 1-\mu^{2} / c^{2} \rightarrow$ Equation (1) with the velocity of particle mass also increases. The Frequency $\mathrm{Bq} / \mathrm{lm}$ gradually reduces; particle attains the probabilistic shape and slows down. But as per Schrödinger the probability of a particle instantaneously at as a point in a space can be expressed with $\Psi(\mathrm{x}, \mathrm{y}, \mathrm{z}, \mathrm{t})$.

The probable density of a particle is $|\Psi|^{2}$. The probability of finding the particle within the volume of $d x$ $d y d z$ is given by $\Psi^{2} d x d y d z=1$. The Probable mass of a photon is given by $\mathrm{h} / \mathrm{c}(\lambda) \rightarrow$ Equation (2)
Angular velocity of Photon [4] is $\mathrm{h} / 2 \Pi$. Now considering the Equation (1) and Equation (2) it is obtained
$\mathrm{m}_{0} / \sqrt{ } 1-\mu^{2} / \mathrm{c}^{2}=\mathrm{h} / \mathrm{c}(\lambda)$
$m_{0} c(\lambda)=h * \sqrt{ } 1-\mu^{2} / c^{2}$
$\lambda=\mathrm{h} \sqrt{ } 1-\mu^{2} / \mathrm{c}^{2} / \mathrm{m}_{0} \mathrm{c}$
Now applying the debroglie wave length
$\sigma \mathrm{h} / \mathrm{mc}=\mathrm{h} / \mathrm{m}_{0} \mathrm{c}(1-\cos \phi)$
(as since $\mathrm{mc}=$ Photon's angular momentum)
$\cos \phi=\int \sigma \mathrm{h} / \mathrm{c}=1$ (between $\mathrm{m}_{0}$ and m )

| Frequency | Pressure |
| :---: | :---: |
| 1000 | 6 |
| 800 | 8 |
| 600 | 12 |
| 400 | 15 |
| 200 | 18 |
| 100 | 19 |
| 60 | 20 |

Table.1. Frequency and Pressure table


Graph 1: Pressure and Frequency Graph
For higher energies the frequency is also high, as the moment the light approaches near the magnetic field, the frequency slows down.

## VI.THE EXPANDING NATURE OF THE UNIVERSE

The visible light is a combination of electro-magnetic waves which consists of several wavelengths and frequencies, therefore electromagnetic wave lengths are visible in the form of colors in spectrums as $1 \mathrm{~nm}=10^{-9} \mathrm{~m}$

| Colors | Energy | Wavelengt <br> $\mathbf{h}$ |
| :--- | :--- | :--- |
| Violet | 455 | 430 nm |
| Indigo | 430 | 390 nm |
| Blue | 492 | 455 nm |
| Green | 577 | 492 nm |
| Yellow | 597 | 577 nm |
| Orange | 622 | 597 nm |
| Red | 770 | 622 nm |

Table 3. Colors and wavelengths
When wave length is known energy can be calculated using Planks's theory. Emission of energy in the form of light (energy emitted in the form of light) signifies there is an electromagnetic field.

| Color | Wavelengt <br> $\mathbf{h}$ <br> in $\mathbf{n m}$ | Correspondin <br> g Frequency <br> that is equals <br> to the Gyro <br> magnetic <br> Ratio H | Energy <br> Eh H/ <br> 2me |
| :--- | :--- | :--- | :---: |
| Violet | 455 nm | $6.5 \times 10^{14} \mathrm{~Hz}$ | $4.5 \times 10^{-34} \mathrm{~J}$ |
|  | 430 nm | $6.9 \times 10^{14} \mathrm{~Hz}$ | $4.5 \times 10^{-34} \mathrm{~J}$ |
|  | 442 nm | $6.7 \times 10^{14} \mathrm{~Hz}$ | $4.5 \times 10^{-34} \mathrm{~J}$ |


|  | 443 nm | $6.7 \times 10^{14} \mathrm{~Hz}$ | $4.5 \times 10^{-34} \mathrm{~J}$ |
| :--- | :--- | :--- | :--- |
|  | 444 nm | $6.2 \times 10^{14} \mathrm{~Hz}$ | $4.5 \times 10^{-34} \mathrm{~J}$ |
| Indigo | 390 nm | $7.6 \times 10^{14} \mathrm{~Hz}$ | $5.1 \times 10^{-34} \mathrm{~J}$ |
|  | 409 nm | $7.3 \times 10^{14} \mathrm{~Hz}$ | $4.8 \times 10^{-34} \mathrm{~J}$ |
|  | 410 nm | $7.3 \times 10^{14} \mathrm{~Hz}$ | $4.8 \times 10^{-34} \mathrm{~J}$ |
|  | 411 nm | $7.2 \times 10^{14} \mathrm{~Hz}$ | $4.8 \times 10^{-34} \mathrm{~J}$ |
|  | 430 nm | $6.9 \times 10^{14} \mathrm{~Hz}$ | $3.3 \times 10^{-34} \mathrm{~J}$ |
| Blue | 455 nm | $6.5 \times 10^{14} \mathrm{~Hz}$ | $4.3 \times 10^{-34} \mathrm{~J}$ |
|  | 472 nm | $6.3 \times 10^{14} \mathrm{~Hz}$ | $4.2 \times 10^{-34} \mathrm{~J}$ |
|  | 473 nm | $6.3 \times 10^{14} \mathrm{~Hz}$ | $4.2 \times 10^{-34} \mathrm{~J}$ |
|  | 474 nm | $6.3 \times 10^{14} \mathrm{~Hz}$ | $4.2 \times 10^{-34} \mathrm{~J}$ |
|  | 492 nm | $6.0 \times 10^{14} \mathrm{~Hz}$ | $4.2 \times 10^{-34} \mathrm{~J}$ |
| Green | 577 nm | $5.7 \times 10^{14} \mathrm{~Hz}$ | $3.4 \times 10^{-34} \mathrm{~J}$ |
|  | 533 nm | $5.6 \times 10^{14} \mathrm{~Hz}$ | $3.7 \times 10^{-34} \mathrm{~J}$ |
|  | 534 nm | $5.6 \times 10^{14} \mathrm{~Hz}$ | $3.7 \times 10^{-34} \mathrm{~J}$ |
|  | 535 nm | $5.6 \times 10^{14} \mathrm{~Hz}$ | $3.7 \times 10^{-34} \mathrm{~J}$ |
|  | 492 nm | $5.6 \times 10^{14} \mathrm{~Hz}$ | $4.0 \times 10^{-34} \mathrm{~J}$ |
| Yellow | 597 nm | $5.0 \times 10^{14} \mathrm{~Hz}$ | $3.3 \times 10^{-34} \mathrm{~J}$ |
|  | 586 nm | $5.1 \times 10^{14} \mathrm{~Hz}$ | $3.4 \times 10^{-34} \mathrm{~J}$ |
|  | 587 nm | $5.1 \times 10^{14} \mathrm{~Hz}$ | $3.3 \times 10^{-34} \mathrm{~J}$ |
|  | 588 nm | $5.1 \times 10^{14} \mathrm{~Hz}$ | $3.3 \times 10^{-34} \mathrm{~J}$ |
|  | 577 nm | $5.1 \times 10^{14} \mathrm{~Hz}$ | $3.4 \times 10^{-34} \mathrm{~J}$ |
| Orange | 622 nm | $4.8 \times 10^{14} \mathrm{~Hz}$ | $3.2 \times 10^{-34} \mathrm{~J}$ |
|  | 608 nm | $4.9 \times 10^{14} \mathrm{~Hz}$ | $3.2 \times 10^{-34} \mathrm{~J}$ |
|  | 609 nm | $4.9 \times 10^{14} \mathrm{~Hz}$ | $3.2 \times 10^{-34} \mathrm{~J}$ |
|  | 610 nm | $4.9 \times 10^{14} \mathrm{~Hz}$ | $3.2 \times 10^{-34} \mathrm{~J}$ |
|  | 597 nm | $5.0 \times 10^{14} \mathrm{~Hz}$ | $3.3 \times 10^{-34} \mathrm{~J}$ |
| Red | 770 nm | $3.8 \times 10^{14} \mathrm{~Hz}$ | $2.5 \times 10^{-34} \mathrm{~J}$ |
|  | 690 nm | $4.3 \times 10^{14} \mathrm{~Hz}$ | $2.8 \times 10^{-34} \mathrm{~J}$ |
|  | 691 nm | $4.3 \times 10^{14} \mathrm{~Hz}$ | $2.8 \times 10^{-34} \mathrm{~J}$ |
|  | 692 nm | $4.3 \times 10^{14} \mathrm{~Hz}$ | $2.8 \times 10^{-34} \mathrm{~J}$ |
|  | 612 nm | $4.9 \times 10^{14} \mathrm{~Hz}$ | $3.2 \times 10^{-34} \mathrm{~J}$ |

## Lymann Series

| UV | 93.78 nm |  |  |
| :--- | :--- | :--- | :--- |
|  | 94.97 nm |  |  |
|  | 97.25 nm |  |  |
|  | 102.58 nm |  |  |
|  | 121.56 nm |  |  |

## Paschen Series

| IR | 954.62 nm |  |  |
| :--- | :--- | :--- | :--- |
|  | 1004.98 nm |  |  |
|  | 1093.80 nm |  |  |
|  | 1281.81 nm |  |  |
|  | 1875.01 nm |  |  |

## Bracket Series

| IR | 2630.00 <br> 4050.00 |  |  |
| :--- | :--- | :--- | :--- |

## Bracket Series



Table 4. Wavelengths, Frequencies, and Energies of different Colors

From the above table it is observed that oscillating frequency gyro magnetic ratio [5] lies within the range of $\quad 4.0 \times 10^{14} \mathrm{~Hz}$ to $7.5 \times 10{ }^{14} \mathrm{~Hz}$ (shorter wavelength as the energy increases)is a microwave radiation and shows shifting towards red. Stars moving apart from earth in a relative strength 1 are a gravitational force which is a gravitational force which is responsible for binding the galaxies and planets. Therefore the Universe is expanding. Emission energy $=$ absorption energy. As per Quantum theory[6] (e=hm) Graph.


Graph 2: Energy and Wavelength

## VII. HYPOTHETICAL CASES TO MEASURE THE KNOWN UNIVERSE (PRPOSED)

Looking into the Universe, it can be expressed in the form of cubical volume, at the initial stage let it be considered up to a volume and in the next stage let it be increased in Geometric Progression. Let it be continued up to seven consecutive cases, in each case it would be raised by 100 times. The cubical volume is represented with xyz co ordinate axes as the directional lines.

Here to refresh the last case-7 is relatively 1035 times greater than case-1. All Length $s$ of the sides taken volume of cube and expressed in Light years.

Case-1 : in this case it can be considered the length of sides as $(0.0015 \mathrm{LY}, \quad 0.0015 \mathrm{LY}, \quad 0.0015 \mathrm{LY})$. Equaling of area $=0.0000003375$ LY. Result: It is enough to replace our total solar system.


Fig.2: Case 1 - An Area length of Solar System
Case-2: in this case it can be considered the length of sides as (1.5LY, 1.5LY,1.5LY). Equaling of area $=3.375$ LY. Result: It is enough to replace our total solar system and along with Oortz cloud (Asteroid Belt)


Fig.3: Case $2-$ An Area length of Oortz Cloud
Case-3 : in this case it can be considered the length of sides as (150LY, 150LY, 150LY). Equaling of area $=3375000$ LY. Result: It is enough to replace all the surrounding stars


Fig.4: Case 3 - An Area length to replace all stars
Case-4: in this case it can be considered the length of sides as $(15,000 \mathrm{LY}, \quad 15,000 \mathrm{LY}, \quad 15,000 \mathrm{LY})$. Equaling of area $=337500000$ LY. Result: It is enough to replace all the surrounding stars and it's surrounded stars


Fig.5: Case 4 - An Area length for all surrounding stars and it's surrounded stars

Case-5: in this case it can be considered the length of sides as $(1,500,000 \mathrm{LY}, 1,500,000 \mathrm{LY}, 1,500,000 \mathrm{LY})$. Equaling of area $=3375 \times 10^{5} \mathrm{LY}$. Result: It is enough to replace Magilanic cloud and nearest galaxies along with clusters.


Z-Axis
Fig.6: Case 5 - An Area length to replace Magilanic cloud and nearest galaxies along with clusters

Case-6: in this case it can be considered the length of sides as ( $150 \mathrm{~m} \mathrm{LY}, 150 \mathrm{~m} \mathrm{LY}, 150 \mathrm{mLY}$ ). Equaling of area $=3375 \mathrm{~m}$ LY. Result: It is enough to replace All the galaxies of Capricorn , cancer ad Virgo clusters.


Z-Axis
Fig.7: Case 6 - An Area length to replace All the galaxies of Capricorn , cancer ad Virgo clusters.

Case-7 : in this case it can be considered the length of sides as $(15,000 \mathrm{mLY}, 15,000 \mathrm{mLY}, 15,000 \mathrm{mLY})$. Equaling of area $=3375,000 \mathrm{~m}$ LY. Result: It is enough to replace all the known galaxies with clusters and super clusters, nova's, super novas


Fig.8: Case 60 - An Area length to replace all the known galaxies with clusters and super clusters, nova's, super novas.

## VIII. CALCULATING AMOUNT OF FLUX DIVERGING FROM AN ASSUMED VOLUME (PROPOSED)

As since it is considered 7 different stages, in each stage if A represents the speed of electromagnetic radiation ,then div A represents the rate of flow of electromagnetic radiation at that point. If div A is positive the radiation is spreading over or pervading.

The point itself can be thought as a source of electromagnetic radiation.

If $\operatorname{div} \mathrm{A}$ is negative either the radiation entering into that point and leaving from that point are same. It means without any change the light is passing through that point.

Using the gauss divergence theorem as a the theorem "The surface integral of the normal component of vector A taken over a closed surface $S$ is equal to the volume integral of the divergence of vector $A$ over the volume V enclosed by the surface S [7]"

The surface $S$ is a closed surface, which is an arbitrary shape upon in a vector field. Let this surface encloses a volume V . Let it be assumed the complete volume to be dividing into a very large number of cubical volume elements adjoining to each other. Let it be considered a small cubical volume element and let divA be represented the amount of flux diverging per unit volume area.

The flux diverging from the element of volume dv, will be divAdv. Then the total flux coming out of the entire volume is $\iiint_{\operatorname{div} A d v}^{[8]}$.

Let it be considered a small element of area ds on the surface ' $n$ ', representing the unit vector down the normal to the area ds. Out ward drawn normal on a surface is taken as positive. If field vector $A$ and outward normal $\mathrm{n}^{\wedge}$ are at an angle $\sigma$ then the component of A along $\mathrm{n}^{\wedge}$ is $A \cos \theta=A \mathrm{n}^{\wedge}$. The flux of A through the surface [9] of the element ds is ( $\mathrm{n}^{\wedge}$. A )=Ads. Therefore it can be defined the flux as the product of normal component of vector surface area.

So the total flux through the entire surface is given by

## $\iint A d s$

$s \quad$. It should be equal to the total flux diverging from the whole volume V enclosed by the surface S is $\iint A d s=\iiint d i v ~ A d v$ given by S

Hence the verification for the Gauss Theorem.

Let the function $A=x i+y j+z k$
$S$ is the surface of a cube bounded by the points. According to the Gauss theorem,

$$
\begin{aligned}
& \iint n A d s=\iiint \operatorname{div} A d v \\
& \text { S } \\
& \rightarrow \operatorname{div} \mathrm{A} \mathrm{dv}=\sigma / \sigma \mathrm{x} * \mathrm{i} * \sigma / \sigma \mathrm{y} \text { *zk } \\
& =\Sigma \sigma / \sigma x *_{i} \\
& =\mathrm{x}^{2} / 2 * \mathrm{i}^{2} \\
& =\mathrm{x}^{2} / 2 \text { *(+1) } \\
& =\Sigma(0.0015)^{2} / 2 \\
& =(0.0015)^{2} / 2-(0.0015)^{2} / 2+(0.0015) \\
& { }^{2} / 2 \\
& =1 / 2(0.0015)^{2} \\
& =1 / 2(0.0000225) \\
& =0.0000112 .5
\end{aligned}
$$

S is the surface of a cube bounded by the points.
According to the gauss theorem

$$
\iint \text { nAds }=\iiint_{S} d i v \operatorname{Adv}
$$

$$
\begin{gathered}
\iiint(\operatorname{div} \mathrm{A}) \mathrm{dv}=\iiint \overrightarrow{\mathrm{Ads}} \overrightarrow{\mathrm{~V}} \\
=\Sigma 1 / 2 \mathrm{x}^{2+1} / 2+1\left(\text { as since } \mathrm{x}^{\mathrm{n}+1} / \mathrm{n}+1\right) \\
=\Sigma \mathrm{x}^{3} / 6 \rightarrow \Sigma 1 / 2\left(\mathrm{x}^{3} / 3\right) \\
=1 / 2\left[\mathrm{x}^{3}-\mathrm{y}^{3}+\mathrm{z} 3\right]
\end{gathered}
$$

$\rightarrow \rightarrow$
III. Ads
$=0.00003375$ is the amount of flux diverging from the given volume.
Following the same procedure the below table is obtained

| Color | A distance <br> (in Light <br> Years) | Div A <br> Amount of <br> Light Spreading <br> (in webers) | Ads <br> (Surface <br> Integral)- <br> (Area <br> Covered in <br> Light Years) |
| :---: | :--- | :---: | :---: |
| 1 | 0.0015 | 0.000025 | 0.00003375 |
| 2 | 1.5 | 2.25 | 3.375 |
| 3 | 150 | 2250 | 3375 |
|  |  |  |  |


| 4 | 1500 | 2250000 | $3375 \times 10^{6}$ |
| :---: | :--- | :---: | :--- |
| 5 | 15,000 | 225000000 | $33.75 \times 10^{9}$ |
| 6 | 150000000 | 22500000000 | $3375 \times 10^{12}$ |
| 7 | 1500 <br> 000000 | 2250000000000000 | $3375 \times 10^{15}$ |

Table 5. Spreading of Light in to the known Universe


Graph. 3. Distance and Flux Diverging Graph
Area Covered and Flux Diverging Graph


Area Covered in Light Years
Graph. 4. Distance and Flux Diverging Graph

## IX. CONCLUSION

From the available sources and the analysis on that it is clear that energy is conserved. With the help of a hypothetical experiment, effect of electromagnetic radiation on the magnetic field of nucleons is measured. As since the universe is expanding, a hypothetical measurable units are considered and the amount of flux diverging from each unit is estimated. This flux is spread in farer skies. Cosmos can be identified as a system of symmetrical unity.

## REFERENCES

[1].Solbes, J., Guisasola, J., \& Tarín, F. (2009). Teaching Energy Conservation as a Unifying Principle in Physics. Journal of Science Education and Technology, 18(3), 265274.
[2].Stachel, J. (2011). Conformal and projective structures in general relativity. General Relativity and Gravitation, 43(12), 3399-3409.
[3].Babin, Walter. (2014). The Compton Effect and Special Relativity. 10.13140/RG.2.2.26097.02406. Einstein, A (1905) "Über einen die Erzeugung und Verwandlung des Lichtes betreffenden heuristischen Gesichtspunkt" [On a heuristic point of view concerning the production and transformation of light] Annalen der Physik 17(6): 132148 Bibcode:1905AnP322132Edoi:101002/andp1905322060 7 Reprinted in The collected papers of Albert Einstein, John Stachel, editor, Princeton University Press, 1989, Vol 2, pp 149-166, in German; *Einstein's early work on the quantum hypothesis, ibid pp 134-148
[4].Baker, David. 2009. Against field interpretations of quantum field theory. The British Journal for the Philosophy of Science, 60, 585-609.
[5].J von Neumann, Mathematische Grundlagen der Quantenmechanik, Springer, Berlin, 1932 (English translation:Mathematical Foundations of Quantum Mechanics, Princeton University Press, 1955)
[6]. Greiner, Walter; Müller, Berndt (1994) Quantum Mechanics Symmetries, Second edition Springer-Verlag p 52 ISBN 3-540-58080-8, Chapter 1, p 52
[7]. Greenstein, George; Zajonc, Arthur (2006) The Quantum Challenge: Modern Research on the Foundations of Quantum Mechanics, Second edition Jones and Bartlett Publishers, Inc p 215 ISBN 0-7637-2470-X, Chapter 8, p 215
[8]. Michael Trott "Time-Evolution of a Wavepacket in a Square Well Wolfram Demonstrations Project" Demonstrationswolframcom Retrieved 2010-10-15.
[9].Hunter, Geoffrey \& Kowalski, Marian \& Alexandrescu, Camil. (2005). Einstein's Photon Concept Quantified by the Bohr Model of the Photon. 810. 10.1063/1.2158738.

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